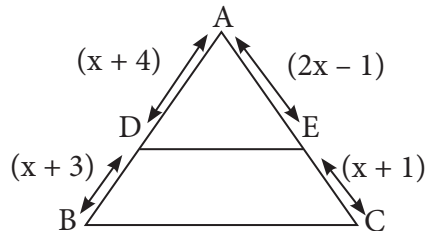


#### MCQ Type :

1. In the given figure, if  $DE \parallel BC$ , then the value of  $x$  is

(A)  $\sqrt{5}$  (B)  $\sqrt{6}$  (C)  $\sqrt{3}$  (D)  $\sqrt{7}$



**Hints : Use Basic Proportionality Theorem (Thales Theorem)**

2. The perimeters of two similar triangles ABC and PQR are 60 cm and 36 cm respectively. If  $PQ = 9$  cm, then AB equals

(A) 6 cm (B) 10 cm (C) 15 cm (D) 24 cm

**Hints :  $AB : PQ = \text{perimeter of triangle ABC} : \text{perimeter of triangle PQR}$ .**

3.  $\triangle ABC \sim \triangle DEF$ . If  $AB = 4$  cm,  $BC = 3.5$  cm,  $CA = 2.5$  cm and  $DF = 7.5$  cm, then the perimeter of  $\triangle DEF$  is

(A) 10 cm (B) 14 cm (C) 30 cm (D) 25 cm

**Hints :  $AC : DF = \text{perimeter of triangle ABC} : \text{perimeter of triangle DEF}$ .**

4. ABCD is a trapezium in which  $AB \parallel DC$  and P, Q are points on AD and BC respectively such that  $PQ \parallel DC$ . If  $PD = 18$  cm,  $BQ = 35$  cm and  $QC = 15$  cm, find AD.

(A) 55 cm (B) 57 cm (C) 60 cm (D) 62 cm

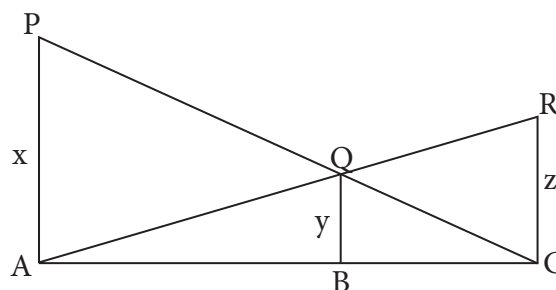
**Hints : Join BD which cuts PQ at O. Then apply BP Theorem.**

5. If ABCD is parallelogram, P is a point on side BC and DP when produced meets AB produced at L, then select the correct option

(A)  $\frac{DP}{BL} = \frac{DC}{PL}$  (B)  $\frac{DP}{LP} = \frac{DC}{LB}$  (C)  $\frac{DP}{PL} = \frac{BL}{DC}$  (D)  $\frac{DP}{PL} = \frac{AB}{DC}$

**Hints : Triangle DPC is similar to triangle LPB.**

6. In the given figure, PA, QB and RC are each perpendicular to AC. If  $x = 8$  cm and  $z = 6$  cm, then  $y$  is equal to :



Ⓐ  $\frac{56}{7}$  cm

Ⓑ  $\frac{7}{56}$  cm

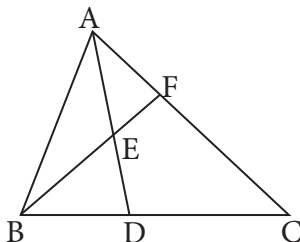
Ⓒ  $\frac{25}{7}$  cm

Ⓓ  $\frac{24}{7}$  cm

**Hints :**  $\frac{y}{x} = \frac{BC}{AC}$  and  $\frac{y}{z} = \frac{AB}{AC}$

### SA-I Type

7. In the figure, AD is median of  $\triangle ABC$  and E is the mid-point of AD. If BE is produced to meet AC at F, then prove that  $AF = \frac{1}{3} AC$ .

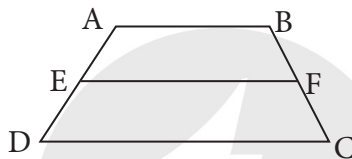


**Hints :** Draw DG parallel to BF which cuts AC at G. Apply BP theorem on triangle BFC and triangle ADG.

8. M and N are points on the sides PQ and PR respectively of a  $\triangle PQR$ . State whether  $MN \parallel QR$  if  $PM = 4$  cm,  $QM = 4.5$  cm,  $PN = 4$  cm,  $NR = 4.5$  cm.

**Hints :** Apply converse of BP theorem.

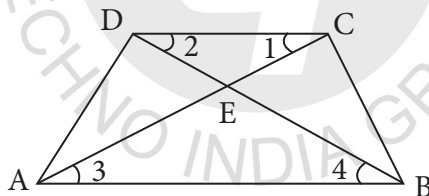
9. In the given figure, ABCD is a trapezium with  $AB \parallel DC$ , E and F are the points on non-parallel sides AD and BC respectively such that  $EF \parallel AB$ . Prove that  $\frac{AE}{ED} = \frac{BF}{FC}$ .



**Hints :** Join AC which cuts EF at O. Then apply BP Theorem.

10. In given figure  $\angle 1 = \angle 3$ ,  $\angle 2 = \angle 4$

DE = 4; CE = x + 1, AE = 2x + 4; BE = 4x - 2, find x.



**Hints :**  $\triangle ABE \sim \triangle CDE$  (A - A)

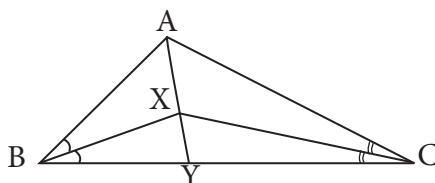
11. Any point X is taken on the side BC of a triangle ABC and XM, XN are drawn parallel to BA, CA meeting CA, BA at M and N respectively. MN meets CB produced in T.

Prove that :  $TX^2 = TB \times TC$ .

**Hints :**  $\frac{TN}{TM} = \frac{TB}{TX}$  and  $\frac{TN}{TM} = \frac{TX}{TC}$

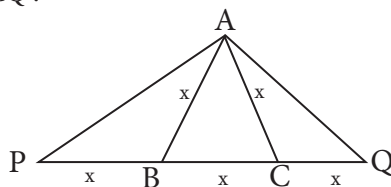
12. Bisector of  $\angle B$  and  $\angle C$  in  $\triangle ABC$  meet each other at X. Line AX cuts the side BC in Y. Prove that

$$\frac{AX}{XY} = \frac{AB + AC}{BC}$$



**Hints :**  $\frac{AB}{BY} = \frac{AX}{XY} = \frac{AC}{CY}$

13. In the given figure ABC is an equilateral Triangle, whose each side measures x units. P and Q are two points on BC produced such that PB = BC = CQ .

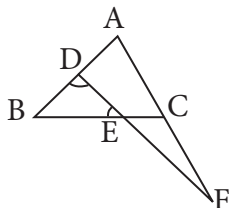


Prove that : (a)  $\frac{PQ}{PA} = \frac{PQ}{PB}$

(b)  $PA^2 = 3x^2$

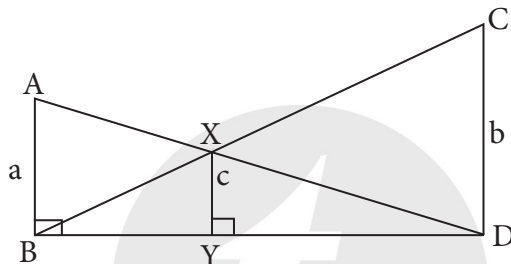
**Hints :**  $\triangle APB \sim \triangle QPA$  (A - A)

14. In the figure,  $\angle BED = \angle BDE$  and E is the middle point of BC. Prove that  $\frac{AF}{CF} = \frac{AD}{BE}$ .



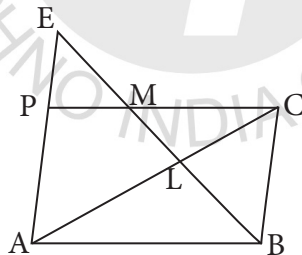
**Hints :** Draw CG parallel to AB which cuts DF at G.  $\triangle BED \sim \triangle CEG$  (A - A),  $\triangle ADF \sim \triangle CGF$  (A - A)

15. In the figure,  $\angle ABD = \angle XYD = \angle CDB = 90^\circ$ ,  $AB = a$ ,  $XY = c$  and  $CD = b$ , then prove that  $c(a + b) = ab$ .



**Hints :**  $\frac{c}{a} = \frac{YD}{BD}$  and  $\frac{c}{b} = \frac{BY}{BD}$

16. In the parallelogram ABCD, middle point of CD is M. A line segment BM is drawn which cuts AC at L and meets AD extended at E. Prove that  $EL = 2BL$ .



**Hints :**  $DE = AD$ ,  $\triangle AEL \sim \triangle CBL$  (A - A)

17. Prove that if two sides and a median bisecting the third side of a triangle are respectively proportional to the corresponding sides and the median of another triangle, then the two triangles are similar.

**Hints :** NCERT Page No. 97 Q.14.

18. A quadrilateral OABC in which  $OA = OC$ . The bisector of  $\angle AOB$  meets AC at D and AB at F and the bisector of  $\angle COB$  meets AC at E and BC at G. Prove that  $\triangle ODE \sim \triangle OFG$ .

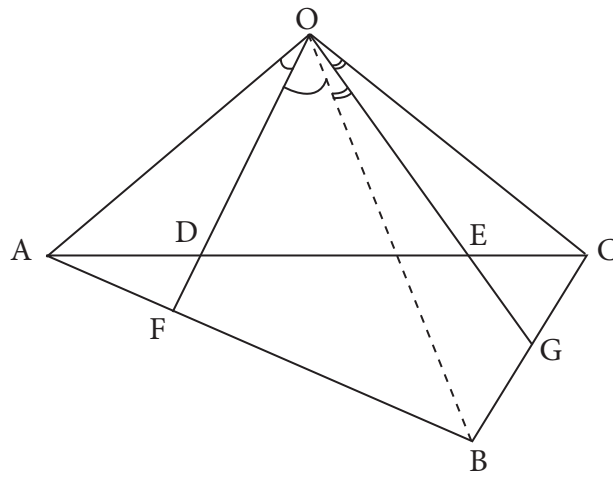
**Hints :**  $OA : OB = AF : BF$

$OC : OB = CG : BG$

$AF : BF = CG : BG$

Apply converse of BP theorem.

$\triangle ODE \sim \triangle OFG$  (A - A).



## ANSWER

- |      |                           |
|------|---------------------------|
| 1. Ⓓ | 5. Ⓑ                      |
| 2. Ⓒ | 6. Ⓓ                      |
| 3. Ⓒ | 8. yes, $MN \parallel QR$ |
| 4. Ⓒ | 10. 3                     |

